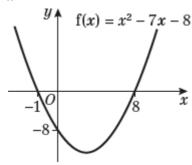
Pure Mathematics 3

Solution Bank

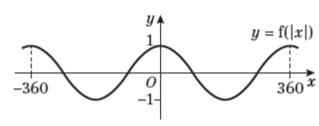


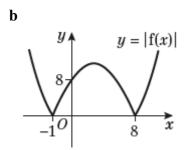
Exercise 2E

1 a

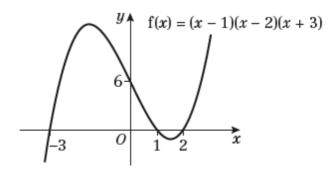


2 c

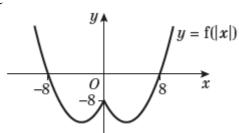




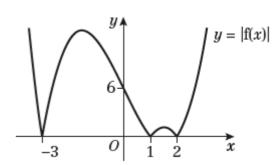
3 a



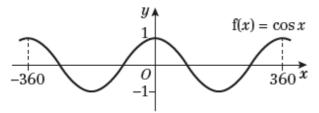
c



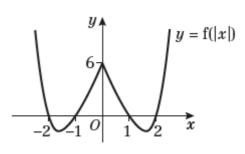
b



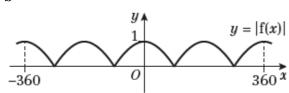
2 a



3 c



b

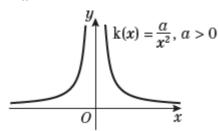


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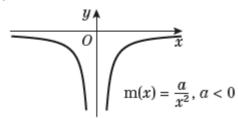


4 a



b There is no need to sketch $y = |\mathbf{k}(x)|$ and $y = \mathbf{k}(|x|)$ as these graphs would match the original graph.

c

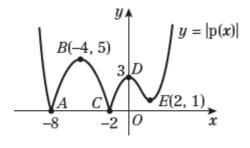


d i $|\mathbf{k}(x)| = |\mathbf{m}(x)|$ is true: $|\mathbf{k}(x)| = \left| \frac{a}{x^2} \right| = \left| \frac{-a}{x^2} \right| = |\mathbf{m}(x)|$

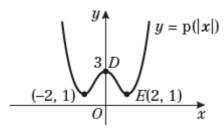
ii k(|x|) = m(|x|) is false: $k(|x|) = \frac{a}{|x|^2} \neq \frac{-a}{|x|^2} = m(|x|)$

iii m(x) = m(|x|) is true: $m(x) = \frac{-a}{|x|^2} = \frac{-a}{|x|^2} = m(|x|)$

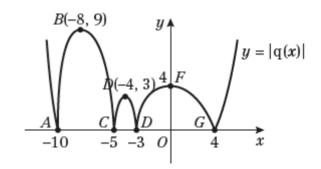
5 a



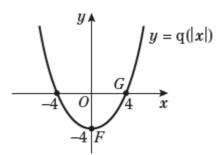
5 b



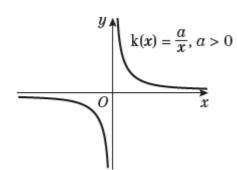
6 a



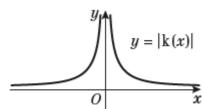
b



7 a



b

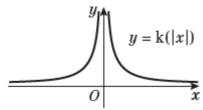


Pure Mathematics 3

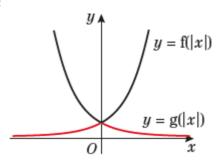
Solution Bank



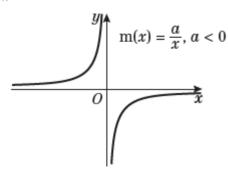
7 c



c



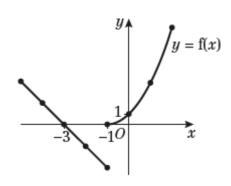
8 a



b y = |m(x)| and y = m(|x|) are

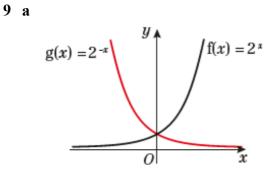
reflections of each other in the

10 a

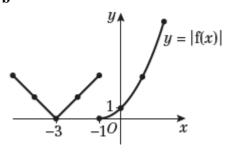


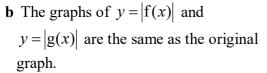
 $|\mathbf{m}(x)| = -\mathbf{m}(|x|)$

x-axis.



b





c

